

CAHIER 9610

INVESTMENT UNDER DEMAND UNCERTAINTY :
THE NEWSBOY PROBLEM REVISITED

Georges DIONNE¹ and Tahar MOUNSIF²

¹ Département de sciences économiques, Université de Montréal and Centre de
recherche sur les transports (C.R.T.)

² Université de Montréal and Université de Rabat

May 1996

Financial support by the Fédération Française des Assurances (France), FCAR (Québec), PARADI and CRSH (Canada) is acknowledged. Comment by a referee, C. Gollier, L. Eeckhoudt and H. Schlesinger were useful to improve previous versions. We thank Johanne Plante, Johanne Lablanc and Lucie L'Heureux for their contribution in the preparation of different versions.

C.P. 6128, succursale Centre-ville
Montréal (Québec) H3C 3J7

Télécopieur (FAX) : (514) 343-5831
Courrier électronique (E-Mail) : econo@ere.umontreal.ca

RÉSUMÉ

Dans cet article nous étudions l'effet de l'incertitude sur un entrepreneur qui doit choisir sa capacité de production avant de connaître la demande de son produit. Le profit unitaire d'opération est connu avec certitude mais aucune flexibilité n'est permise dans ce modèle à une période. Nous montrons que l'introduction d'une incertitude globale réduit l'investissement d'un entrepreneur neutre au risque et, encore plus, celui d'un entrepreneur risophobe. Nous montrons également qu'un accroissement marginal de risque réduit la capacité optimale de l'entrepreneur risophobe sans aucune restriction sur la fonction d'utilité concave et avec des restrictions minimales sur la définition d'accroissement de risque. Ces résultats généraux sont expliqués par le fait que l'entrepreneur a , dans cette application, une fonction de profit linéaire par morceaux et concave avec un coude déterminé de façon endogène au niveau de capacité optimale. Nos résultats sont comparés à ceux des deux littératures sur l'incertitude sur le prix et l'incertitude sur la demande et, en particulier, avec les résultats récents de Eeckhoudt, Gollier et Schlesinger (1991, 1995).

Mots clés : incertitude, investissement, le problème du marchand de journaux, accroissement de risque, capacité optimale

ABSTRACT

In this article we study the effect of uncertainty on an entrepreneur who must choose the capacity of his business before knowing the demand for his product. The unit profit of operation is known with certainty but there is no flexibility in our one-period framework. We show how the introduction of global uncertainty reduces the investment of the risk neutral entrepreneur and, even more, that of the risk averse one. We also show how marginal increases in risk reduce the optimal capacity of both the risk neutral and the risk averse entrepreneur, without any restriction on the concave utility function and with limited restrictions on the definition of a mean preserving spread. These general results are explained by the fact that the newsboy has a piecewise-linear, and concave, monetary payoff with a kink endogenously determined at the level of optimal capacity. Our results are compared with those in the two literatures on price uncertainty and demand uncertainty, and particularly, with the recent contributions of Eeckhoudt, Gollier and Schlesinger (1991, 1995).

Keywords : uncertainty, investment, newsboy problem, increase in risk, optimal capacity

Ce cahier a également été publié au Centre de recherche sur les transports (C.R.T.)
(publication no 96-20).

Dépot légal - 1996
Bibliothèque nationale du Québec
Bibliothèque nationale du Canada

ISSN 0709-9231

1.0 INTRODUCTION

It is well documented that many political and economic factors may influence the cost of capital and investment decisions. Uncertainty is also an important ingredient. Recently, Dixit and Pindyck (1994) wrote that "real world investment problems seem much less sensitive to interest rate changes and tax policy changes, and much more sensitive to volatility and uncertainty over the economic environment" (p.4).

In this paper we study in detail the effect of uncertainty on an entrepreneur who must choose the capacity of his business before knowing the demand. This one period model without any flexibility is often identified as the newsboy problem. We show how the introduction of global uncertainty reduces the investment of the risk neutral newsboy and, even more, that of the risk averse one. We also present a necessary and sufficient condition to obtain that a risk neutral decision maker will reduce his investment when a general marginal increase in risk is introduced. In fact, we show how a mean preserving spread increases the marginal cost of uncertainty or increases the probability that the production capacity will be underused.

Since the contribution of Rothschild and Stiglitz (1971), it is well known that, under risk aversion, restrictions have to be imposed either on the utility function or the definition of an increase in risk to obtain intuitive comparative static results for a marginal increase in risk. (See Dionne and Gollier (1996) for a detailed comparison of the two sets of restrictions). We show that such restrictions are not necessary for the newsboy problem as long as the optimal level of capacity under the less risky distribution (x_{LP}) is lower than any crossing point of the distribution functions which implies that the marginal cost of uncertainty is always larger under the more risky distribution for all levels of capacity lower than x_{LP} . This general result is due to the fact that the risk averse newsboy has not only a strictly concave utility function but also a piecewise-linear, and concave monetary payoff with a kink endogenously determined at the optimal level of capacity.

Hymans (1966) considered the risk-averse entrepreneur. He showed the possibility of having a negative supply curve under uncertainty, a result extended to the newsboy problem by Eckhoudt, Gollier and Schiesinger (1995), using the notion of partial relative risk aversion. Sandmo (1971) and Baron (1973) also offered pathbreaking contributions to the general problem of the firm under uncertainty. Contrary to the preoccupation of this paper, where we study market capacity or inventory problems, Sandmo (1971) was concerned with price uncertainty. He showed that risk

aversion is sufficient to obtain that a risk averse entrepreneur will produce less than a risk neutral one and will produce even less if the distribution of prices becomes more risky under the additional assumption of decreasing absolute risk aversion. In his framework, the risk neutral investor is not affected by both global and marginal uncertainty. In this paper, we are concerned with the same questions. We obtain similar results but with different conditions since the payoffs of the two problems are different. In Sandrino's model, the payoff of the entrepreneur is always linear while, as mentioned above, the newsboy payoff is piecewise-linear with a kink endogenously determined at the optimal plant capacity. We also use different definitions of increases in risk.

Baron (1973) studied problems with piecewise-linear payoffs but did not analyze the effect of changes in risk. Kanbur (1982) obtained specific results for increases in risk in the newsboy problem, but only for the special case of the quadratic utility function. Finally, Eeckhoudt, Gollier and Schlesinger (1995) presented a detailed analysis of the newsboy problem: prices changes, increased demand risk, adding background risk, ... In section 4.0 we compare our results on the effect of increasing risk with their results.

2.0 THE MODEL

We consider an entrepreneur who must choose the capacity x before knowing the demand y ($y \in [y, \bar{y}]$) in a one period investment problem without any flexibility. If the realized demand y_0 is greater than x , the entrepreneur sells x . Otherwise he is limited to sell y_0 . (For similar presentations of the basic problem, see Baron (1973), Levy-Lambert and Dupuy (1975), Malinvaud (1987), Dionne and Pellerin (1988) and Eeckhoudt, Gollier and Schlesinger (1995)).

His ex-ante objective function is $EU [\Pi \cdot \min(y, x) - I(x)]$ where Π is the constant unit profit of operation and $I(x)$ is the total capacity cost. The explicit maximization problem can be written as :

$$\text{Max}_x V(x, F) = \int_{\bar{y}}^x U(\Pi y - I(x)) f(y) dy + \int_x^{\bar{y}} U(\Pi x - I(x)) f(y) dy \quad (1)$$

where $U(\cdot)$ is the von Neuman Morgenstern utility function of wealth, $U'(\cdot) > 0$, $U''(\cdot) \leq 0$; $I(x)$ is the total capacity cost function, $I'(x) > 0$, $I''(x) \geq 0$. Note that the model differs slightly to that of Eeckhoudt, Gollier and Schlesinger (1995) since they assume linear costs and allow for a positive salvage value of excess inventory. These differences are not significant for our purpose.

The optimal capacity of the risk averse entrepreneur (x_A) satisfies for an interior solution :

$$V'(x_A, F) = -I'(x_A) \int_{\bar{y}}^x U'(\Pi y - I(x_A)) f(y) dy + (\Pi - I'(x_A)) U'(\Pi x_A - I(x_A)) (1 - F(x_A)) = 0 \quad (2)$$

which implies $\Pi > I'(x_A)$. When $\Pi \leq I'(x_A)$, $V'(x_A, F) < 0$ and $x_A = 0$ is optimal. The second order condition for a maximum follows our assumptions about $I(x)$ and $U(\cdot)$.

By integrating by parts the first term on the left hand side of (2) we obtain

$$\Pi = I'(x_A) + \Pi F(x_A) - I'(x_A) \Pi \frac{\int_{\bar{y}}^x U'(\Pi y - I(x_A)) F(y) dy}{U'(\Pi x_A - I(x_A))} \quad (3)$$

For notational convenience, (3) can be written as :

$$\Pi = I'(x_A) + \Pi F(x_A) + \Pi I'(x_A) A(x_A) \quad (4)$$

where $F(x_A)$ is the probability that x_A will not be sold, $I'(x_A)$ is the marginal cost of investment, $\Pi I F(x_A)$ is the marginal cost of uncertainty, $\Pi I'(x_A) A(x_A)$ is the marginal cost of risk aversion, and

$$A(x_A) = \frac{-\int_{\bar{y}}^x U''(\Pi y - I(x_A)) F(y) dy}{U'(\Pi x_A - I(x_A))}$$

Since $U''(\cdot) < 0$ implies that $A(x_A) > 0$, we verify from (4) that

$$\Pi > \Pi'(x_A) + \Pi F(x_A),$$

while under risk neutrality,

$$\Pi = \Pi'(x_A) + \Pi F(x_A) \quad (5)$$

and, under certainty,

$$\begin{aligned} \Pi &= \Pi'(x_0) \text{ when } \Pi'(x) > 0 \text{ and} \\ \Pi &> (-x_0) \Pi' \text{ when } \Pi'(x) = 0, \end{aligned} \quad (6)$$

where the notation Π' is for constant marginal cost of investment.

PROPOSITION 1 : $x_A \leq x_N \leq x_0$

Proof : First note that Π is constant. When $\Pi'(x) > 0$, it is straightforward to verify that adding the marginal cost of uncertainty $\Pi F(x_A)$ to the right hand side of (5) must decrease the optimal output. The same analysis follows when comparing x_A to x_0 , since $\Pi'(x_A) \Lambda(x_A) > 0$ and $F'(x_A) > 0$ for all x . When $\Pi' = 0$, x_0 can be undetermined or corresponds to a corner solution either at \bar{y} or at \underline{y} . When $x_0 = \bar{y}$, it cannot increase and when $x_0 = \underline{y}$ because $\Pi < \Pi'$, the solution cannot change for any type of global mean-preserving increase in risk since Π will remain lower than Π' plus the marginal cost of uncertainty. Finally, when the solution is undetermined, it will go to \underline{y} since Π will become lower than Π' plus the marginal cost of uncertainty.

Q.E.D.

It is interesting to observe that a risk neutral entrepreneur produces less under uncertainty than should be under certainty. When an interior solution prevails, this result is due to the fact that the structure of the problem in (1) introduces a kink in the payoff function which becomes concave under uncertainty. Moreover, the kink is endogenously determined as shown in Figure 1 (see Dionne and Pellerin, 1988, for more details).

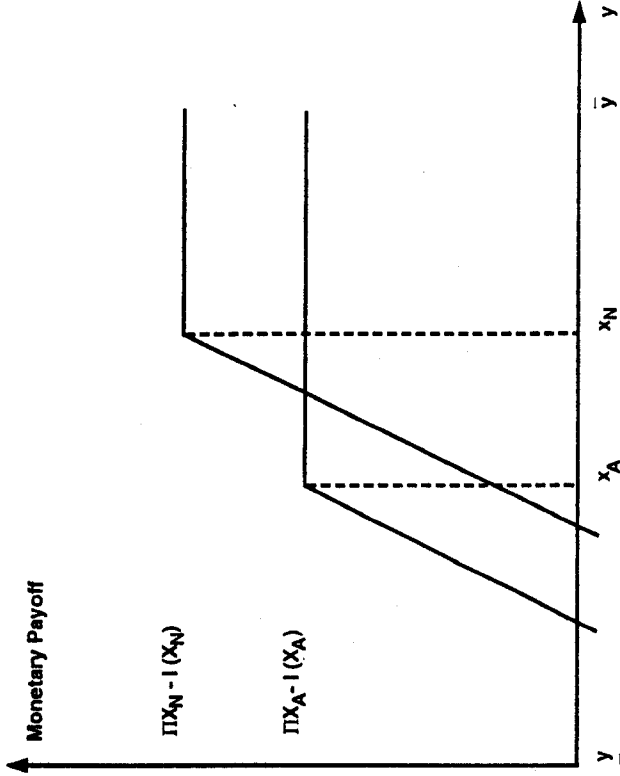


Figure 1

Optimal capacity of the risk averse (x_A) and the risk neutral (x_N) newsboy.

The endogenous monetary payoff is piecewise-linear contrary to the type of linear payoff studied in Sandmo (1971) and Dionne, Eckhoudt and Gollier (1993) where it is linear for all values of wealth. This important characteristic implies that the marginal monetary payoff is nil on the right hand side of the optimal capacity (x_A or x_M) for both the risk averse and the risk neutral agent while it is constant and positive on the left hand side. The difference between x_A and x_M is then explained by the fact that the marginal utility of the risk neutral agent is constant for all values of $y < x_M$ while it is strictly decreasing for the risk averse agent. These characteristics will also play an important role in the analysis of the marginal changes in risk discussed in the next section.

These results contrast with those of Sandmo who obtained that only a risk averse entrepreneur does produce less under uncertainty. In other words, the output of the risk neutral entrepreneur is not affected by price uncertainty. As already pointed out these differences are explained by the differences in the payoff functions.

3.0 MARGINAL CHANGES IN RISK

The contributions of Rothschild and Stiglitz (1970, 1971) have generated two important general results in the literature on comparative statics under uncertainty with payoffs that are linear in both the random variable and the decision variable (see for example, Cheng, McGill and Shafer (1987); Dionne, Eckhoudt and Gollier (1993); Eckhoudt and Kimball (1992); Meyer and Ormliston (1985), Sandmo (1971) and Dionne and Gollier (1996)) : 1) the risk neutral decision maker is not affected by mean preserving changes in risk and 2) specific restrictions have to be imposed either to the utility function or the definition of a mean preserving spread to obtain that a risk averse decision maker will reduce his ex-ante risky position (or capacity here) when facing a more risky situation. In this section we will show that such restrictions on the definition of increases in risk are not necessary, for any utility function, to obtain intuitive comparative statics results.

We first consider a risk neutral decision maker. The optimal interior solution under the distribution $F(\cdot)$ (from now on x_{NF}) solves (5) in the preceding section. Suppose that $G(\cdot)$ represents a mean preserving increase in risk with respect to $F(x)$ in the sense of Rothschild and Stiglitz (1971) :

$$\int_{\underline{y}}^{\bar{y}} (G(y) - F(y)) dy \geq 0 \text{ for all } \bar{y} \in [\underline{y}, \bar{y}]$$

with a strict inequality for some values of y and

$$\int_{\underline{y}}^{\bar{y}} (G(y) - F(y)) dy = 0.$$

We now propose a necessary and sufficient condition for the variation of the optimal capacity of the risk neutral decision maker :

PROPOSITION 2 : Let x_{NF} and x_{NG} determine the optimal solution for a risk neutral manager under distribution $F(\cdot)$ and $G(\cdot)$ respectively. Then $x_{NF} > (= <) x_{NG}$ if and only if $F(x_{NF}) < (= >) G(x_{NF})$.

Proof : We have to show that

$$V'(x_{NF}, G) - V'(x_{NF}, F) < (= >) 0 \quad (7)$$

$$\text{as } F(x_{NF}) < (= >) G(x_{NF}).$$

From (5) and the equivalent first order condition under distribution $G(x)$ we can rewrite (7) as

$$-\Pi[G(x_{NF}) - F(x_{NF})]$$

which yields the desired result.

Q.E.D.

Again this result differs from those with linear payoff models where an increase in risk has no effect (see Sandmo (1971) and Dionne, Eckhoudt and Gollier (1993)). For the risk averse individual, contrary to many applications presented in the literature, we do not necessarily restrict our analysis to a simple spread of the two distributions. However, for matter of comparison, we first show that a general result can be obtained for any simple spread at any $y \geq x_A$ which is a direct extension of the result presented by Eckhoudt, Gollier and Schliesinger (1995). Then we extend this first result to obtain that the number of crossings does not matter as long as all of them occur at values of $y \geq x_A$. In other words, we obtain that following any general mean preserving spread defined by Rothschild and Stiglitz (1970), a risk averse entrepreneur will always

reduce his capacity of production if the optimal level of capacity obtained under the less risky distribution is lower than any crossing point of the distribution functions.

PROPOSITION 3 : Suppose that x_{AF} and x_{AG} maximize $V(x, \cdot)$ under $F(y)$ and $G(y)$ respectively where $G(y)$ is a single mean preserving spread of $F(y)$. Then a sufficient condition for $x_{AG} < x_{AF}$ is that $F(x_{AF}) \leq G(x_{AF})$.

Proof : See appendix.

Observed that when $F(x_{AF}) = G(x_{AF})$, the condition isolates the effect of risk aversion since we know from Proposition 2 that the optimal capacity on the risk neutral decision maker is not altered under that condition. Otherwise, the result follows from a combination of risk aversion and the concavity of the payoff function. But, more interesting is the following result which does introduce a minimal restriction on the nature of the marginal increase in risk when compared with other comparative statics results in the literature (see next section for more details).

PROPOSITION 4 : Let $G(y)$ be a mean preserving spread of $F(y)$ and x_{AG} and x_{AF} the optimal capacity under the two distributions respectively. Then $x_{AG} < x_{AF}$ if, for $\forall y \leq x_{AF}$, $G(y) \geq F(y)$.

Proof : See Appendix.

4.0 DISCUSSION

Figure 2 compares six results from three different articles. The first column is concerned with two results on deductible insurance in Eeckhoudt, Gollier and Schlesinger (1991); the second one contains two results related to the newsboy problem in Eeckhoudt, Gollier and Schlesinger (1995) while the third one represents the results of propositions 3 and 4 of this paper. In all cases distributions $F(\cdot)$ is less risky than distribution $G(\cdot)$.

Figure 2
Comparison of different results.

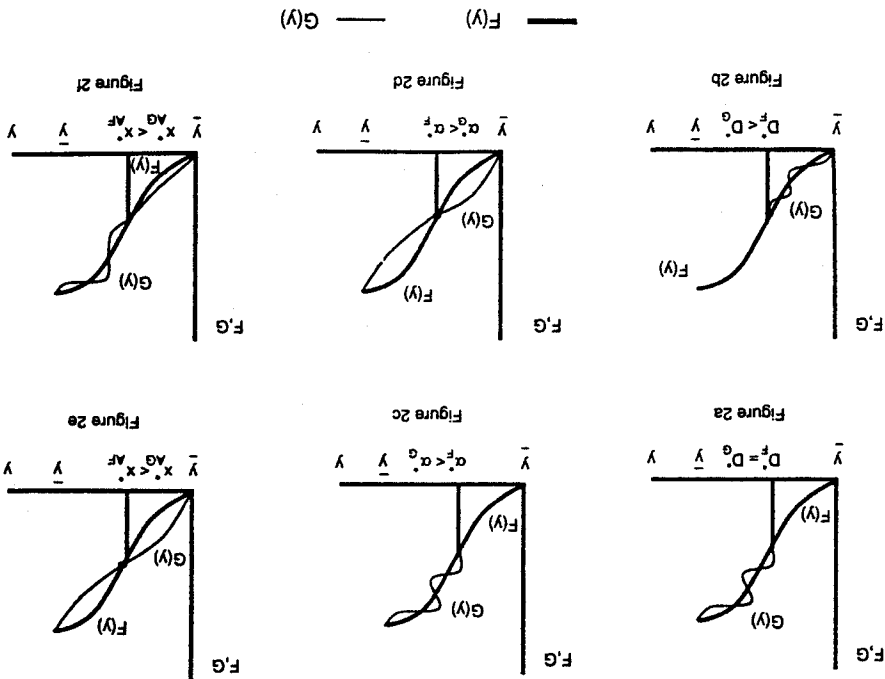


Figure 2a indicates that a risk averse individual does not change his optimal deductible if a mean-preserving transformation (including an increase in risk as a special case) of the loss distribution is imposed on the right hand side of the optimal deductible D_r^* (the optimal deductible under F). In this case, the risk neutral insurer asks for the same insurance premium and takes care of the loss fluctuations above the deductible. However, when the mean-preserving transformation affects only portions of the loss distribution below D_r^* then a prudent insured ($U''(\cdot) > 0$) increases his optimal deductible (reduces his insurance coverage). By reducing the insurance coverage, the prudent insured reduces the premium and increases his precautionary saving to protect himself against the mean-preserving transformation. In this article, the authors did not present results for mean-preserving changes in risk affecting the loss distribution on all the support $[L, \bar{Y}]$.

Results in column two contrast with those of column one since there is no insurance coverage of the fluctuations in wealth above the deductible. In Figure 2c we observe that a prudent newsboy will increase his optimal capacity since the increase in risk above the optimal decision variable α_r^* decreases the marginal cost of production without modifying the marginal benefit. The authors also obtained, under the same assumption, that a prudent newsboy will decrease his capacity under $G(\cdot)$, if the increase in risk affects only portions of profit distribution below α_r^* . Figure 2d concerns a simple spread across α_r^* (see Dionne and Gollier (1996) for details on the notion of Simple Increase in Risk which is a particular case of a mean-preserving spread). We observe that a risk averse newsboy reduces his optimal capacity. For this particular definition of a mean-preserving spread, risk aversion is sufficient to get the result while it was not sufficient to obtain the previous results of Figures 2b and 2c.

Figure 2e represents the result of Proposition 3 in this paper. It extends the result of Figure 2d in the sense that the crossing point between the two distribution functions has not to be at the optimal capacity: the same result holds for all single crossing points equal or above the optimal capacity. It is interesting to notice also that the sufficient condition that yields the result of Proposition 3 for a risk averse newsboy is necessary and sufficient for the risk neutral newsboy (see Proposition 2). Finally, Figure 2f shows that we do not have to limit the analysis to single crossing points in order to obtain the desired result for all risk averse newsboys. Any number of crossing points is admitted as long as the first one is at the optimal capacity or above. The main differences between this result and those of Figures 2a, 2b, 2c is that the change in risk affects

all the support of the random variable and not only portions of it either below or above the optimal decision variable, and no condition on $U(\cdot)$ other than risk aversion is used.

5.0 CONCLUSION

This article shows how general marginal and global increases in risk reduce the optimal investment of both the risk neutral and risk averse newsboy. It emphasizes the role of the piecewise-linear and concave monetary payoff that characterizes this investment problem under demand uncertainty. A natural extension would be to extend our analysis to other applications where such payoff can be observed: debt contracts, deductible insurance and covered call options are good candidates.

APPENDIX

Proof of Proposition 3 : Let $f(\cdot)$ and $g(\cdot)$ be the density functions of $F(\cdot)$ and $G(\cdot)$ respectively. y_1 and $y_2 \in [\underline{y}, \bar{y}]$ are the crossing points of the density functions with $y_1 < y_2$ and y_2 is the single crossing point of the distribution functions. From (2), $x_{AF} < x_{AF}$ if and only if :

$$-I'(x_{AF}) \int_{\underline{y}}^{\bar{y}} U'(\Pi y - I(x_{AF})) s(y) dy + (\Pi - I'(x_{AF})) U'(\Pi x_{AF} - I(x_{AF})) \int_{\underline{y}}^{\bar{y}} s(y) dy < 0 \quad (A1)$$

where $s(y) = g(y) - f(y)$.

The above inequality is always verified when $\underline{y} \leq x_{AF} \leq y_1$. The first term on the left hand side is always negative since $s(y)$ is always positive for $\underline{y} \leq y \leq y_1$. Moreover the second term is also always negative. Indeed, when $F(x_{AF}) \leq G(x_{AF})$, this term can be rewritten as

$$(\Pi - I'(x_{AF})) U'(\Pi x_{AF} - I(x_{AF})) (F(x_{AF}) - G(x_{AF})) \leq 0.$$

since $\Pi - I'(x_{AF}) > 0$ from the first order condition (2).

When $y_1 \leq x_{AF} \leq \bar{y}$, $s(y) > 0$ for $\underline{y} \leq y \leq y_1$, and $s(y) < 0$ for $y_1 < y \leq x_{AF} \leq y_2$. Consequently, (A1) becomes :

$$\begin{aligned} & -I'(x_{AF}) \left\{ \int_{\underline{y}}^{y_1} U'(\Pi y - I(x_{AF})) s(y) dy \right. \\ & \left. + \int_{y_1}^{x_{AF}} U'(\Pi y - I(x_{AF})) s(y) dy \right\} \\ & + (\Pi - I'(x_{AF})) U'(\Pi x_{AF} - I(x_{AF})) \int_{x_{AF}}^{\bar{y}} s(y) dy < 0. \end{aligned} \quad (A2)$$

From above we know that the third line is negative. It remains to show that the sum of the first two lines is non positive.

Since when $U'(\cdot) < 0$,

$$\int_{\underline{y}}^{y_1} U'(\Pi y - I(x_{AF})) s(y) dy > \int_{\underline{y}}^{y_1} U'(\Pi y_1 - I(x_{AF})) s(y) dy$$

because $s(y) \geq 0, \forall y \in [\underline{y}, y_1]$, and

$$\int_{y_1}^{x_{AF}} U'(\Pi y - I(x_{AF})) s(y) dy > \int_{y_1}^{x_{AF}} U'(\Pi y_1 - I(x_{AF})) s(y) dy$$

because $s(y) \leq 0, \forall y \in [y_1, x_{AF}]$.

It is now sufficient to show that the right hand side of (A3) is non negative :

$$\int_{\underline{y}}^{x_{AF}} U'(\Pi y - I(x_{AF})) s(y) dy > U'(\Pi y_1 - I(x_{AF})) (G(x_{AF}) - F(x_{AF})) \quad (A3)$$

which is always the case for $x_{AF} \leq y_2$.

Q.E.D.

Proof of Proposition 4 : We can write the difference of the first order conditions evaluated at x_{AF} under distributions $G(y)$ and $F(y)$ as :

$$\begin{aligned} & -I'(x_{AF}) \int_{\underline{y}}^{x_{AF}} U'(\Pi y - I(x_{AF})) (g(y) - f(y)) dy \\ & - (\Pi - I'(x_{AF})) U'(\Pi x_{AF} - I(x_{AF})) (G(x_{AF}) - F(x_{AF})) \leq 0 \\ \Leftrightarrow & -I'(x_{AF}) \int_{\underline{y}}^{x_{AF}} U'(\Pi y - I(x_{AF})) dS(y) - (\Pi - I'(x_{AF})) U'(\Pi x_{AF} - I(x_{AF})) S(x_{AF}) \leq 0 \\ \Leftrightarrow & I'(x_{AF}) \int_{\underline{y}}^{x_{AF}} \frac{U'(\Pi y - I(x_{AF}))}{U'(\Pi x_{AF} - I(x_{AF}))} S(y) dy - S(x_{AF}) \leq 0. \end{aligned}$$

which is always verified when $S(y) \geq 0$ for all $y \leq x_{AF}$.

Q.E.D.

REFERENCES

- BARON, D.P., 1973, "Point Estimation and Risk Preferences", *Journal of the American Statistical Association*, 68, 944-950.
- CHENG, H.G., M.J.P. Meglil and W.J.Shafer, 1987, "Some Results on Comparative Statics Under Uncertainty", *International Economic Review*, 28, 493-507.
- DIONNE, G., L. Eeckhoudt and C. Gollier, 1983, "Increases in Risk and Linear Payoffs", *International Economic Review*, 34, 309-319.
- DIONNE, G. and C. Gollier, 1986, "A Model of Comparative Statics for Changes in Stochastic Returns with Dependent Risky Assets", mimeo, Université de Montréal and Université de Toulouse. Forthcoming *Journal of Risk and Uncertainty*.
- DIONNE, G. and M. Pellerin, 1988, "Investissement en incertitude : extension du problème de la taille optimale d'une usine", in : G. Dionne, ed., *Incertain et Information* (Economica - G. Vermette, Paris-Montréal), 256-281.
- DIXIT, A. and R. Pindyck, 1994, *Investment Under Uncertainty* (Princeton University Press, Princeton).
- ECKHOUDT, L., C. Gollier and H. Schlesinger, 1991, "Increases in Risk and Deductible Insurance", *Journal of Economic Theory*, 55, 435-440.
- ECKHOUDT, L., C. Gollier and H. Schlesinger, 1995, "The Risk-Averse (and Prudent) Newsboy", *Management Science*, 41, 786-794.
- ECKHOUDT, L. and M.S. Kimball, 1992, "Background Risk, Prudence and The Demand for Insurance", in : G. Dionne, ed., *Contributions to Insurance Economics* (Kluwer Academic Press, Boston).
- HYMANS, S.H., 1966, "The Price Taker: Uncertainty, Utility, and the Supply Functions", *International Economic Review*, 7, 346-356.

Université de Montréal
Département de sciences économiques
Centre de documentation
C.P. 6128, succursale Centre-ville
Montréal (Québec)
H3C 3J7

Cahiers de recherche (Discussion papers)
1995 à aujourd'hui (1995 to date)

Si vous désirez obtenir un exemplaire, vous n'avez qu'à faire parvenir votre demande et votre paiement (\$ 5 l'unité) à l'adresse ci-haut mentionnée. / To obtain a copy (\$ 5 each), please send your request and prepayment to the above-mentioned address.

- 9501 : Boyer, Marcel et Jean-Jacques Laffont, "Environmental Risks and Bank Liability", janvier 1995, 46 pages.
- 9502 : Margolis, David. N., "Firm Heterogeneity and Worker Self-Selection Bias Estimated Returns to Seniority", décembre 1994, 29 pages.
- 9503 : Abowd, John M., Francis Kramarz et David N. Margolis, "High-Wage Workers and High-Wage Firms", janvier 1995, 73 pages
- 9504 : Cardia, Emanuela et Steve Ambler, "Indexation Lags and Heterodox Stabilization Programs", janvier 1995, 29 pages.
- 9505 : Garcia, René et Huntley Schaller, "Are the Effects of Monetary Policy Asymmetric?", février 1995, 42 pages.
- 9506 : Parent, Daniel, "Survival des contributions théoriques et empiriques liées au capital humain", février 1995, 70 pages.
- 9507 : Parent, Daniel, "Wages and Mobility : The Impact of Employer-Provided Training", février 1995, 34 pages.
- 9508 : Parent, Daniel, "Industry-Specific Capital and the Wage Profile : Evidence from the NLSY and the PSID", février 1995, 21 pages.
- 9509 : Parent, Daniel, "Matching, Human Capital, and the Covariance Structure of Earnings", février 1995, 54 pages.
- 9510 : Garcia, René, "Asymptotic Null Distribution of the Likelihood Ratio Test in Markov Switching Models", mars 1995, 50 pages.
- 9511 : Garcia, René, Annamaria Lusardi et Serena Ng, "Excess Sensitivity and Asymmetries in Consumption : An Empirical Investigation", mars 1995, 26 pages.
- 9512 : Sprumont, Yves, "An Axiomatization of the Pazner-Schmeidler Rules in Large Fair Division Problems", mars 1995, 26 pages.
- 9513 : Ghysels, Eric, Lynda Khalaf et Cosmé Vodounou, "Simulation Based Inference in Moving Average Models", mars 1995, 10 pages.
- 9514 : Ng, Serena, "Looking for Evidence of Speculative Stockholding in Commodity Markets", mars 1995, 25 pages.

KANBUR, R., 1982, "Increases in Risk with Kinked Payoff Functions", *Journal of Economic Theory*, 27, 219-228.

LEVY-LAMBERT, H. and J.P. Dupuy, 1975, *Les choix économiques dans l'entreprise et dans l'administration*, (Dunod, Paris).

MALINVAUD, E., 1987, "Capital productif, incertitudes et profitabilité", *Annales d'Économie et de Statistiques*, 5, 1-36.

MEYER, J. and M.B. Ormliston, 1985, "Strong Increases in Risk and their is Comparative Statics", *International Economic Review*, 425-437.

ROTHSCHILD, M. and J. Stiglitz, 1970, "Increasing Risk : A Definition", *Journal of Economic Theory*, 2, 225-243.

ROTHSCHILD, M. and J. Stiglitz, 1971, "Increasing-Risk : Its Economic Consequences", *Journal of Economic Theory*, 3, 66-84.

SANDMO, A., 1971, "On the Theory of the Competitive Firm Under Price Uncertainty", *American Economic Review*, 61, 65-73.

- 9515 : Ng, Serena et Huntley Schaller, "The Risky Spread, Investment, and Monetary Policy Transmission : Evidence on the Role of Asymmetric Information", mars 1995, 26 pages.
- 9516 : Ng, Serena, "Testing for Homogeneity in Demand Systems when the Regressors are Non-Stationary", mars 1995, 26 pages.
- 9517 : Ghyssels, Eric, Clive W.J. Granger et Pierre L. Siklos, "Is Seasonal Adjustment a Linear or Nonlinear Data Filtering Process?", mars 1995, 34 pages.
- 9518 : Ghyssels, Eric, Alastair Hall et Hahn S. Lee, "On Periodic Structures and Testing for Seasonal Unit Roots", mars 1995, 45 pages.
- 9519 : Sprumont, Yves, "On the Game-Theoretic Structure of Public-Good Economies", mars 1995, 21 pages.
- 9520 : Charles, Sandra, François Vaillancourt et Nicolas Marceau, "The Impact of Decentralization on Growth and Democracy : A Note", mars 1995, 13 pages.
- 9521 : Sprumont, Yves, "Balanced Egalitarian Redistribution of Income", mars 1995, 17 pages.
- 9522 : Bronsard, Camille, Lise Salvas-Bronsard et Alain Trognon, "On the Residual Dynamics Implied by the Rational Expectations Hypothesis", mars 1995, 18 pages.
- 9523 : Campbell, Bryan et Eric Ghyssels, "An Empirical Analysis of the Canadian Budget Process", mars 1995, 30 pages.
- 9524 : Ghyssels, Eric, Alain Guay et Alastair Hall, "Predictive Tests for Structural Change with Unknown Breakpoint", avril 1995, 29 pages.
- 9525 : Ghyssels, Eric, "On Stable Factor Structures in the Pricing of Risk", avril 1995, 37 pages.
- 9526 : Kollmann, Robert, "Mark Up Fluctuations in U.S. Manufacturing and Trade : Empirical Evidence Based on A Model of Optimal Storage", avril 1995, 18 pages.
- 9527 : Laberge-Nadeau, Claire, Georges Dionne, Urs Maag, Denise Desjardins, Charles Vanasse et J.-M. Ékoé, "Medical Conditions and the Severity of Commercial Motor Vehicle (CMV) Drivers' Road Accidents", mai 1995, 26 pages.
- 9528 : Dionne, Georges, Manuel Artis et Montserrat Guillén, "On the Repayment of Personal Loans Under Asymmetrical Information : A Count Data Model Approach", mai 1995, 32 pages.
- 9529 : Ruge-Murcia, Francisco J., "Government Expenditure and the Dynamics of High Inflation", juin 1995, 45 pages.
- 9530 : Pesaran, M. Hashem et Francisco J. Ruge-Murcia, "A Discrete-Time Version of Target Zone Models with Jumps", juin 1995, 50 pages.
- 9531 : Dionne, Georges et N. Fombaron, "Non-Convexities and Efficiency of Equilibria in Insurance Markets with Asymmetric Information", juin 1995, 22 pages.
- 9532 : Bronsard, C., P. Michel et L. Salvas-Bronsard, "Singular Demand Systems as an Instrument of Scientific Discovery", juillet 1995, 17 pages.
- 9533 : Dionne, G. et C. Fluet, "Incentives in Multi-Period Regulation and Procurement : A Graphical Analysis", juillet 1995, 46 pages.
- 9534 : Ng, Serena et Pierre Perron, "Estimation and Inference in Nearly Unbalanced, Nearly Cointegrated Systems", août 1995, 38 pages.
- 9535 : Ng, Serena et Pierre Perron, "The Exact Error in Estimating the Spectral Density at the Origin", août 1995, 33 pages.
- 9536 : Ghyssels, Eric, Christian Gourierou et Joanna Jasiak, "Market Time and Asset Price Movements : Theory and Estimation", septembre 1995, 61 pages.
- 9537 : Dionne, Georges, Robert Gagné et Charles Vanasse, "Inferring Technological Parameters from Incomplete Panel Data", septembre 1995, 40 pages.
- 9538 : Dufour, Jean-Marie et Eric Renault, "Short-Run and Long-Run Causality in Time Series : Theory", septembre 1995, 40 pages.
- 9539 : Dufour, Jean-Marie, "Some Impossibility Theorems in Econometrics with Applications to Instrumental Variables, Dynamic Models and Cointegration", septembre 1995, 42 pages.
- 9540 : Mercenier, Jean et Philippe Michel, "Temporal Aggregation in a Multi-Sector Economy with Endogenous Growth", septembre 1995, 17 pages.
- 9541 : Lonanger, Jean-Guy, "Neoliberalism and the Overwhelming Influence of Financial Markets : a Comparative Analysis between NAFTA Countries and Other G-7 Countries", septembre 1995, 34 pages.
- 9542 : Proulx, Pierre-Paul, "La décentralisation : facteur de développement ou d'éclatement du Québec", août 1995, 26 pages.
- 9543 : Arcand, Jean-Louis, Ghazi Bouilla et Christian Tritien, "Intergenerational Contracts, Remittances, and Growth", octobre 1995, 57 pages.
- 9544 : Kichian, Maral, René Garcia et Eric Ghyssels, "On the Dynamic Specification of International Asset Pricing Models", octobre 1995, 29 pages.
- 9545 : Arcand, Jean-Louis, "Land Ownership, Working Capital, and Agricultural Output : Egypt, 1913-1958", octobre 1995, 93 pages.
- 9546 : Arcand, Jean-Louis et Marcel G. Dagenais, "The Empirics of Economic Growth in a Cross Section of Countries : Do Errors in Variables Really Not Matter?", octobre 1995, 65 pages.
- 9547 : Dufour, Jean-Marie et Jan F. Kiviet, "Exact Inference Methods for First-Order Autoregressive Distributed Lag Models", octobre 1995, 52 pages.
- 9548 : Dufour, Jean-Marie et Jan F. Kiviet, "Exact Tests for Structural Change in First-Order Dynamic Models", octobre 1995, 39 pages.
- 9549 : Kiviet, Jan F. et Jean-Marie Dufour, "Exact Tests in Single Equation Autoregressive Distributed Lag Models", octobre 1995, 38 pages.
- 9550 : Briys, Eric et Pascale Viala, "Optimal Insurance Design under Background Risk", octobre 1995, 14 pages.
- 9551 : Ng, Serena et Joris Pinkse, "Nonparametric Two-Step Estimation of Unknown Regression Functions when the Regressors and the Regression Error Are not Independent", octobre 1995, 22 pages.
- 9552 : Bai, Jushan et Pierre Perron, "Estimating and Testing Linear Models with Multiple Structural Changes", octobre 1995, 58 pages.
- 9553 : de Lemos Grandmont, Renato, "Mexico's Financial Liberalization and Reform, A Critical Overview", octobre 1995, 66 pages.
- 9554 : de Lemos Grandmont, Renato, "Multivariate Cointegration in the Presence of Structural Breaks : The Case of Money Demand in Mexico", octobre 1995, 69 pages.

- 9555 : Boyer, Marcel, Philippe Mahenc et Michel Moreaux, "Entry Blockading Locations", octobre 1995, 37 pages.
- 9556 : Boyer, Marcel et Michel Moreaux, "Capacity Commitment versus Flexibility : The Technological Choice Nexus in a Strategic Context", octobre 1995, 37 pages.
- 9557 : Boyer, Marcel et Jean-Jacques Laffont, "Environmental Protection, Producer Insolvency and Lender Liability", octobre 1995, 38 pages.
- 9558 : Montmarquette, Claude, Sophie Mahseredjian et Rachel Houle, "The Determinants of University Dropouts : a Sequential Decision Model with Selectivity Bias", décembre 1995, 17 pages.
- 9559 : Margolis, David N., "Cohort Effects and Returns to Seniority in France", décembre 1995, 29 pages.
- 9560 : Dionne, Georges et Christian Gollier, "A Model of Comparative Statics for Changes in Stochastic Returns with Dependent Risky Assets", décembre 1995, 14 pages.
- 9601 : Deaton, Angus et Serena Ng, "Parametric and Nonparametric Approaches to Price and Tax Reform", janvier 1996, 28 pages.
- 9602 : Lévy-Garboua, Louis et Claude Montmarquette, "Cognition in Seemingly riskless Choices and Judgments", janvier 1996, 29 pages.
- 9603 : Gonzalo, Jesus et Serena Ng, "A Systematic Framework for Analyzing the Dynamic Effects of Permanent and Transitory Shocks", mars 1996, 42 pages.
- 9604 : Boyer, Marcel et Jean-Jacques Laffont, "Toward a Political Theory of Environmental Policy", avril 1996, 42 pages.
- 9605 : Ai, Chunrong, Jean-Louis Arcand et François Ethier, "Moral Hazard and Marshallian Inefficiency: Evidence from Tunisia", avril 1996, 38 pages.
- 9606 : Mercenier, Jean et Erinc Yeldan, "How Prescribed Policy can Mislead when Data are Defective: A Follow-up to Srinivasan (1994) Using General Equilibrium", avril 1996, 29 pages.
- 9607 : Fortin, Nicole M. et Thomas Lemieux, "Rank Regressions, Wage Distributions, and the Gender GAP", avril 1996, 45 pages.
- 9608 : Fortin, Nicole M. et Thomas Lemieux, "Labor Market Institutions and Gender Differences in Wage Inequality", avril 1996, 13 pages.
- 9609 : S. Hosken, Daniel et David N. Margolis, "The Efficiency of Collective Bargaining in Public Schools", mai 1996, 54 pages.
- 9610 : G. Dionne et T. Mounisif, "Investment Under Demand Uncertainty : the Newsboy Problem Revisited", mai 1996, 18 pages.